

## Seventh Semester B.E. Degree Examination, May/June 2010 Computer Techniques in Power System Analysis

Time: 3 hrs.

Max. Marks:100

**Note: Answer any FIVE full questions, selecting at least TWO questions from each part.**

### PART – A

- 1 a. Define the following and give an illustrative example: i) Tree and cotree ii) Basic loops iii) Basic cut sets iv) Primitive network v) Bus frame of reference. (10 Marks)
- b. The bus incidence matrix for a network of 8 elements and 5 nodes is given below. Reconstruct the oriented graph, by forming the element node incidence matrix. (05 Marks)

$$A = \begin{matrix} & \begin{matrix} e \\ x \end{matrix} & \begin{matrix} 1 & 2 & 3 & 4 & 5 & 6 & 7 & 8 \end{matrix} \\ \begin{matrix} A \\ B \\ C \\ D \end{matrix} & \begin{matrix} -1 & 0 & 0 & 0 & 1 & 0 & 1 & 0 \\ 0 & -1 & 0 & 0 & -1 & 1 & 0 & 1 \\ 0 & 0 & -1 & 1 & 0 & -1 & 0 & 0 \\ 0 & 0 & 0 & -1 & 0 & 0 & -1 & -1 \end{matrix} \end{matrix}$$

- c. Derive an expression for obtaining Y-bus (bus admittance matrix), using singular transformations. (05 Marks)

- 2 a. For the network shown in Fig. Q2 (a), obtain the bus admittance matrix by singular transformation analysis. The line data is as in the table below: (08 Marks)

Line No.	Connecting Nodes	Admittance in p.u.
1	1 – 4	1.4
2	1 – 2	1.6
3	2 – 3	2.4
4	3 – 4	2.0
5	2 – 4	1.8

Table. Q2 (a)

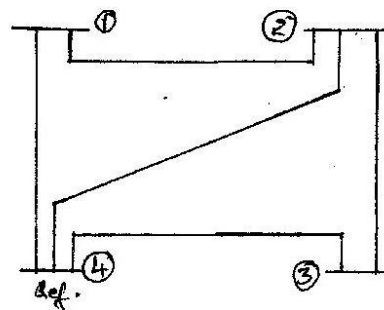


Fig. Q2 (a)

- b. Obtain the general expressions for  $Z_{bus}$  building algorithm when a branch is added to the partial network. (12 Marks)
- 3 a. Using the generalised algorithmic expression for each case of analysis, explain the load flow studies (analysis) procedure, as per the Gauss-Seidal method for power system, having PQ buses and PV buses, with reactive power generation constraints. (10 Marks)
  - b. For the power system shown in figure below, find the voltage at bus 2 at the end of two iterations using the Gauss-Seidal method. The bus 1 is a slack bus with voltage equal to 1.04 ( $0^\circ$ pu, bus 2 is P-Q bus with  $S_2 = (6.0-j1.5)$  pu and bus 3 is a P-V bus with magnitude of voltage equal to 1.02 pu and with real power equal to 0.8 pu. (10 Marks)

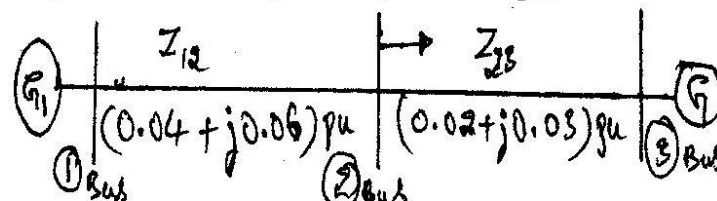


Fig. Q3 (b)

- 4 a. Derive the expression in polar form for the typical diagonal elements of the submatrices of the Jacobian in Newton-Raphson method of load flow analysis. (08 Marks)
- b. Compare NR and GS methods for load flow analysis procedure in respect of the following:  
 i) Time per iteration      ii) Total solution time      iii) Acceleration factor  
 iv) Number of iterations. (06 Marks)
- c. Explain briefly fast-de-coupled load flow solution method for solving the non-linear load flow equations. (06 Marks)

### PART - B

- 5 a. Derive the necessary condition for optimal operation of thermal power plants with the transmission losses considered. (10 Marks)
- b. There are two turbo generators feeding a load bus with following incremental characteristics:  $IC_1 = 3 + 0.015P_1$  and  $IC_2 = 2 + 0.018P_2$   
 i) Find the economic schedule if total load is 160 MW. Assume no generator limits.  
 ii) Repeat the problem (i) with the following generation limits considered :  
 unit - 1 :  $P_{max} = 100$  MW,  $P_{min} = 20$  MW.  
 unit - 2 :  $P_{max} = 100$  MW,  $P_{min} = 10$  MW. (10 Marks)
- 6 a. What are B-loss coefficients? Derive the matrix form of transmission loss equation. (08 Marks)
- b. A two bus system, without generator limits, has been considered (shown in figure Q6 (b)), where  $P_{loadA} = 400$  MW,  $P_{loadB} = 100$  MW and  $P_{loss} = 0.0008(P_{gA} - 100)^2$ .  
 $(IFC)_A = 0.006P_{gA} + 4.0$  Rs/MW hr;  $(IFC)_B = 0.007P_{gB} + 4.0$  Rs/MW hr.  
 Find the optimal generation for each plant and the power loss in the line. (12 Marks)

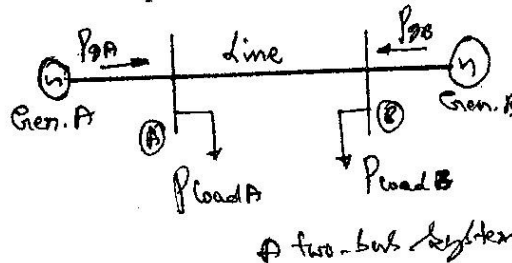


Fig. Q6 (b)

- 7 a. With the help of a flow diagram, explain the method of finding the transient stability of a given power system, based on Runge-Kutta method. (12 Marks)
- b. Explain the representation of the following for power system stability studies:  
 i) Exciters      ii) Governors. (08 Marks)
- 8 Write short notes on:  
 a. Swing equation and its importance for stability analysis.  
 b. Penalty factors and loss coefficients.  
 c. Classification of bases for load flow analysis.  
 d. Optimal scheduling for hydrothermal plants. (20 Marks)

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